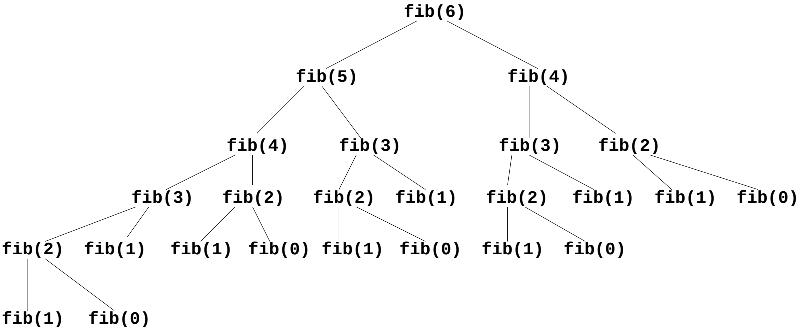
fib(6)
fib(5)
fib(4)
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$$C[24][2] = \min \begin{cases} \text{use 13-ducat coin, } 1 + C[11][2] \\ \\ \text{don't use 13-ducat coin, } C[24][1] \end{cases}$$

Generalized:

$$C[i][j] = \min \begin{cases} 1 + C[i - D[j]][j] & \text{use the } j\text{th denomination,} \\ & \text{which value } D[j] \\ \\ C[i][j-1] & \text{skip the } j\text{th denomination} \end{cases}$$

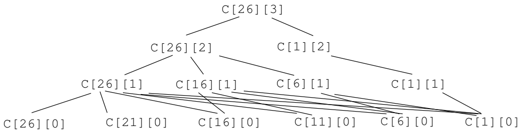
Recursive case (how many of the jth denomination coins should we take when making change for amount i?)

$$C[i][j] = \min_{0 \leq k < x} \{k + C[i - k \cdot D[j]][j - 1]\}$$

x is the exclusive upper bound on how many jth denomination coins we *could* take, the smallest x such that $x \cdot D[j] > i$.

Base case:

$$C[i][0] = i$$


C[26][3]
C[26][2]
C[1][2]
C[26][1]
C[16][1]
C[6][1]
C[1][1]
C[26][0]
C[21][0]
C[16][0]
C[11][0]
C[6][0]
C[1][0]